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<u>of</u>	
Network CS:3	Security 56
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S.1 Secure Communication
. Entity S sends msg M to entity R
• This communication is secure iff it satisfies the following 3 conditions
1. Confidentiality:
No entity other than S and R can
understand M.
2. Integrity:
Sand R are sure that M is not altered after
it is sent by S and before it is rovd by R
3. Authentication:
When R rows M, R can confirm that S is the
entity that sent M.
When S sends M, S can confirm that R will
be the entity that rovs M.

S.2 Tools to A	chieve Secure Communication
1. Symmetric Keys	
2. Public and Private Ke	ys
3. Secure Hash Function	S
4. Msg Authentication	
5. Digital Signature	

#### S.3 Symmetric Keys

- Assign a unique symmetric key K to every pair of entities S and R. Only S and R know K.
  - · Kt(M) denotes "encryption" of M using K
- K<sup>-</sup>(K<sup>+</sup>(M)) denotes "decryption" of (K<sup>+</sup>(M)) using K
  - · Theorem: K-(K+(M)) = M

## S.4 Confidential Communication Using Symmetrical College White Middle Keys . To provide cofidential communication from S to R using K: i. S computes Kt (M) and sends it to R ii. R computes M as K (K+(M)) from above theorem iii. Only Sand R know and understand M

### S.5 Public and Private Keys

- Assign two keys,  $K_s^+$  and  $K_s^-$ , to every entity S. Key  $K_s^+$  is named public key of S, and key  $K_s^-$  is named private key of S.
- Every entity knows K to but only entity S knows K.
- •KR (M) denotes the "encryption" of M using the public key of R
- $K_R^-$  ( $K_R^+$  (M))) denotes the "decryption" of  $K_R^+$  (M) using the private key of R
- · Theorem: K (K+(M)) = M

## S.6 Confidential Communication Using Public Keys . To provide confidential communication from S to R BREAK Using Kt and KR: i. S computes KI(M) and sends it to R ii. R computes M as K (K+(M)) from above theorem iii. Only Sand R know and understand M

# Secure Hash Functions **S.7** . H is function that takes as input any msg M and computes as output a msg H(M) of fixed length such that following condition holds: . It is computationally infeasible to find two distinct msgs M1 and M2 such that H(M1) = H(M2)

S.8	Examples	of Secure Hash
Msg Dig	est 4 (MD4)	
Msg len	gth = 128 bits	
. Secure Ha	sh Algorithm (	(SHA1)
Msg len	gth = 160 bits	
. MD4 is	more efficie	nt
SHA-1	s mare Secure	

S.9 Msg Authentication
. Each authenticated msg from StoR is of form:
M is a msg C, called msg authentication code MAC of M
from StoR, is computed as follows:  C = H(MIK)
I is concatenation  H is a secure hash that S and R know  K is a symmetric authentication key that
only S and R Know
o If R rous (M,C) and checks that C=H(MIK), then R concludes that M was not updated
after it is sent by 5 and before it is round by R

S.10 Digital Signatures
<ul> <li>Before S sends M to R, S can "sign" M and attach the signature to M:</li> <li>(M, signature of M by S)</li> </ul>
• Signature of M by S is computed as follows:  K (H(M))  H is a secure hash known to S and R
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#### S.II Source Authentication

- R can use the signature of M by S to prove that S is the entity that signed and sent M as follows:
  - 1. R gets the signature  $K_S^-(H(M))$ and the public key  $K_S^+$  of S
  - 2. R shows that  $K^{+}(K^{-}(H(M))) = M$

as required by the above theorem

3. This proves that S and only S could have signed and sent M

